

## Thermal Energy

- Heat and Temperature are not the same!!
- Cold is the absence of heat, not an energy
  - Same concept as light/dark
- Cold “can’t come in”, heat flows out
  - Heat flows from High Temp → Low Temp

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## Temp vs. Heat

**Temperature** – The measurement of the average kinetic energy of the particles in an object.

**Heat** – A form of energy, measured in Joules (J).

Adding heat to an object will either:

1. Raise the object’s temperature
2. Cause a change in state (solid→liquid→gas)

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## Temp vs. Heat

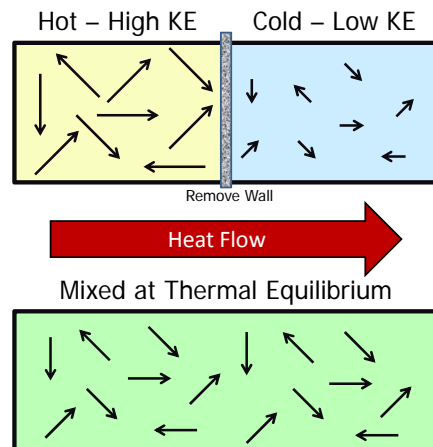
**High Temperature** → Particles move fast

**Low Temperature** → Particles move slow

When a hot system meets a cold system...  
Hot system transfers heat until even temp.

**Thermal Equilibrium** – Objects have equal temp, average KE, and energy flow rate

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## Common Temperature Scales

**Celsius** – related to Centigrade (100 degree)

0°C – water freezes

100°C – water boils

**Fahrenheit** – used in USA and Belize

32°F – water freezes

212°F – water boils

To make the degree symbol ° type Alt + 0176

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## Absolute Temperature Scales

**Kelvin** – related to Celsius, starts at “absolute 0” as lowest impossible value to reach.

0K – all motion stops

273.15K – water freezes

DO NOT USE ° SYMBOL!

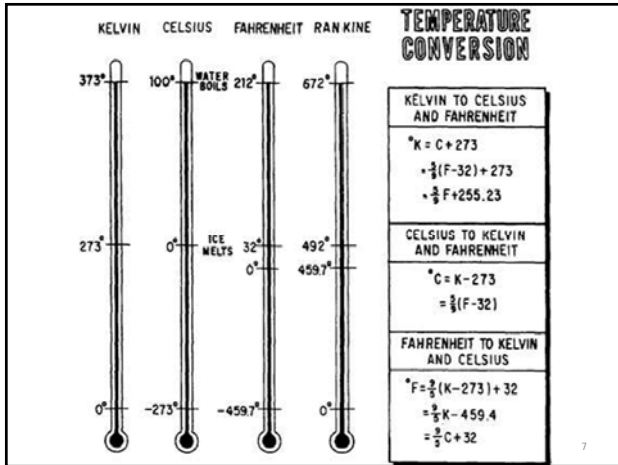
**Rankine** – the “Fahrenheit version of Kelvin”

0°R – Absolute lowest Temp

459.67°R – water freezes

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# Thermal Energy

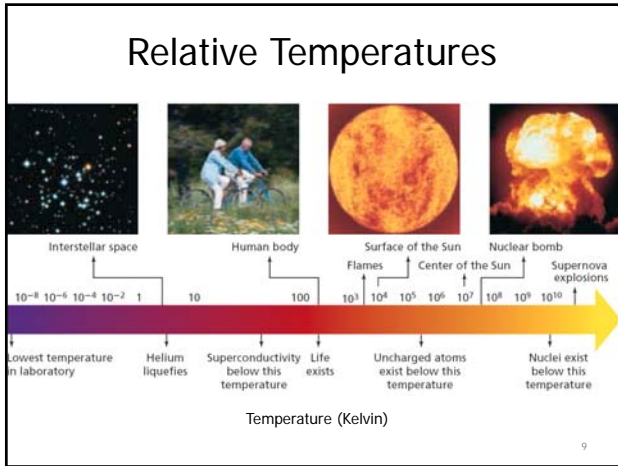


## Temperature Conversion

$^{\circ}\text{C}$  to  $^{\circ}\text{F}$        $F = 1.8C + 32$

$^{\circ}\text{F}$  to  $^{\circ}\text{C}$        $C = \frac{(F - 32)}{1.8}$

$^{\circ}\text{C}$  to K       $K = C + 273.15$

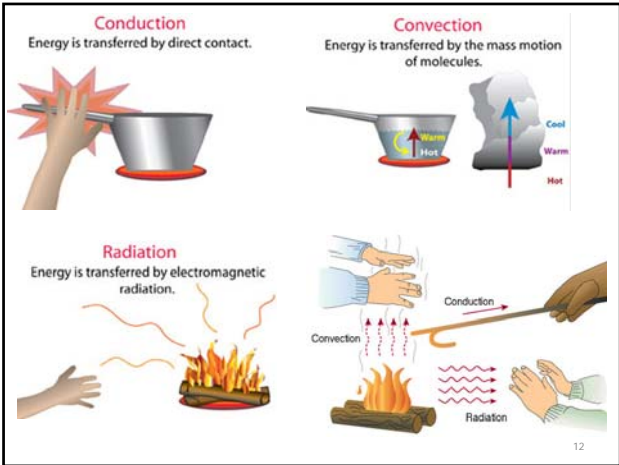


## Q = Heat

- Heat can be read in units of Joules or calories.
- calorie (cal)** – energy to raise 1g of water by 1°C
  - 1 calorie = 4.184 Joules
- Calorie (kcal)** – energy to raise 1kg of water by 1°C. This is used in food measurement and can be called a **kilogram calorie**.
  - 1 Calorie = 1000 calories
  - 1 Calorie = 4.184 kJ

## 3 Types of Heat Transfer

- Conduction** – through matter by “touching”
  - hot metal burns hand
- Convection** – through fluid motion (gas/liquid)
  - Fan cools you off (you heat air)
- Radiation** – electromagnetic radiation through space, no matter needed
  - Sunlight melts snow



## Heat Transfer

$$Q = m C_p (T_f - T_o)$$

Q – Heat

m – mass

T – temperature in Kelvin

$C_p$  – specific heat

$$\Delta T = (T_f - T_o)$$

Way to remember: “m c delta T”

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## Specific Heat

- The amount of energy needed to raise one gram of a substance one degree Celsius.
- Units are [J/kg·K]
- Higher values → “stores” a lot of energy, takes large energy change to heat or cool

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**Table 12-1**

**Specific Heat of Common Substances**

Material	Specific Heat (J/kg·K)	Material	Specific Heat (J/kg·K)
Aluminum	897	Lead	130
Brass	376	Methanol	2450
Carbon	710	Silver	235
Copper	385	Steam	2020
Glass	840	Water	4180
Ice	2060	Zinc	388
Iron	450		

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## Conservation of Energy

In a closed system with two objects:

$$\Delta E_A - \Delta E_B = 0 \rightarrow \Delta E_A = -\Delta E_B$$

$$\Delta E = Q = m C \Delta T$$

$$Q_A - Q_B = 0 \rightarrow Q_A = -Q_B$$

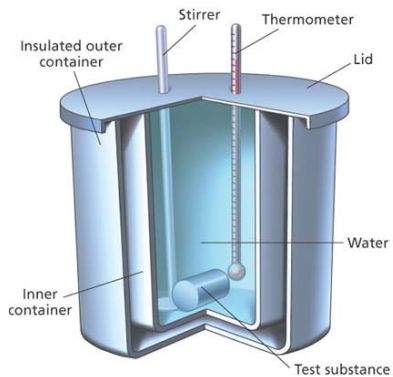
What this means:

$$m_A C_A \Delta T_A = -m_B C_B \Delta T_B$$

$$\Delta T = T_f - T_i$$

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## Calorimeter



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## Thermal Equilibrium Problems

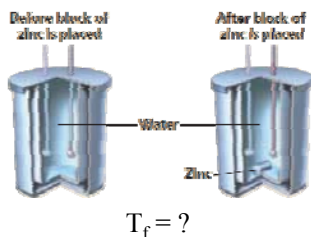
- Sketch a before-after picture to help see the problem
- Label all known variables  
Remember  $T_f$  will be the same for all materials
- Set up your equation  
Heat lost = Heat gained  
 $Q_A = -Q_B$
- Solve for your unknown variable
- Plug and chug

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# Thermal Energy

## Thermal Equilibrium Example

A calorimeter contains 0.50 kg of water at 15°C. A 0.040 kg block of zinc at 115°C is placed in the water. What is the final temperature of the water?



$m_Z = 0.040 \text{ kg}$   
 $C_Z = 388 \text{ J/kg}\cdot^\circ\text{C}$   
 $T_Z = 115^\circ\text{C}$   
 $m_W = 0.50 \text{ kg}$   
 $C_W = 4180 \text{ J/kg}\cdot^\circ\text{C}$   
 $T_W = 15^\circ\text{C}$   
 $T_f = ?$

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## Thermal Equilibrium

Solve for  $T_f$  – This will be the same for both objects

Heat lost  $Q_Z = -Q_W$  Heat gained

Set up equation  $m_Z C_Z (T_Z - T_f) = -m_W C_W (T_W - T_f)$

Distribute  $m_Z C_Z T_Z - m_Z C_Z T_f = -m_W C_W T_W + m_W C_W T_f$

Combine like terms  $m_Z C_Z T_Z + m_W C_W T_W = m_Z C_Z T_f + m_W C_W T_f$

Separate  $T_f$   $m_Z C_Z T_Z + m_W C_W T_W = (m_Z C_Z + m_W C_W) T_f$

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## Thermal Equilibrium

Solve for  $T_f$  – This will be the same for both objects

$$T_f = \frac{m_Z C_Z T_Z + m_W C_W T_W}{m_Z C_Z + m_W C_W}$$

$$T_f = \frac{(0.040)(388)(115) + (0.50)(4180)(15)}{(0.040)(388) + (0.50)(4180)}$$

$$T_f = 16^\circ\text{C}$$

This means the final temperature of both the water and zinc should be about 16°C

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## Phase Changes

Phase changes occur at constant temperature

Heat of Fusion ( $H_f$ ) – energy required to melt a solid

$$Q = m H_f$$

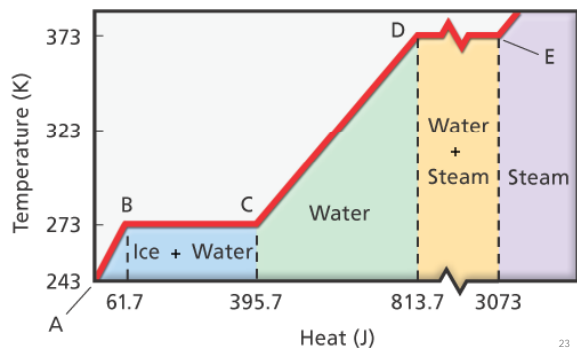
Heat of Vaporization ( $H_v$ ) – energy required to vaporize a liquid

$$Q = m H_v$$

Units are [J/kg]

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## Change of State Graph



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Table 12-2

Heats of Fusion and Vaporization of Common Substances		
Material	Heat of Fusion $H_f$ (J/kg)	Heat of Vaporization $H_v$ (J/kg)
Copper	$2.05 \times 10^5$	$5.07 \times 10^6$
Mercury	$1.15 \times 10^4$	$2.72 \times 10^5$
Gold	$6.30 \times 10^4$	$1.64 \times 10^6$
Methanol	$1.09 \times 10^5$	$8.78 \times 10^5$
Iron	$2.66 \times 10^5$	$6.29 \times 10^6$
Silver	$1.04 \times 10^5$	$2.36 \times 10^6$
Lead	$2.04 \times 10^4$	$8.64 \times 10^5$
Water (ice)	$3.34 \times 10^5$	$2.26 \times 10^6$

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## Thermodynamics

**0.05kg Ice is dropped in 50**  $\Delta U = Q - W$

U is the internal energy of a substance

Q = Heat added to the system

W = Work done by the system

Example: Hitting a nail with a hammer – work done to the hammer gives a negative W value.

$\Delta U$  increases and temperature may go up.

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## Thermodynamics

**0<sup>th</sup> Law of Thermodynamics:** A system left alone will move towards thermal equilibrium.

**“Everything wants to go to bed and lie down”**

Ex: Mixing hot water and cold water will eventually have a uniform temperature.

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## Thermodynamics

**1<sup>st</sup> Law of Thermodynamics:**  $\Delta U = Q - W$

U is the internal energy of a substance

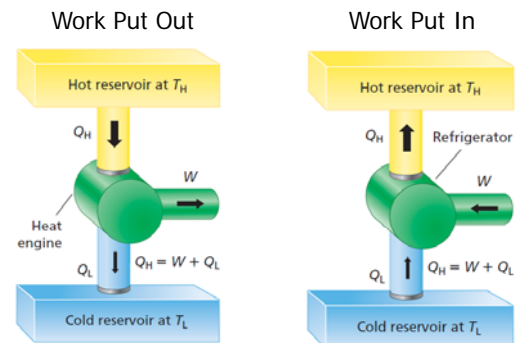
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■ **Figure 12-11** A heat engine transforms heat at high temperature into mechanical energy and low-temperature waste heat.

■ **Figure 12-13** A refrigerator absorbs heat,  $Q_L$ , from the cold reservoir and gives off heat,  $Q_H$ , to the hot reservoir. Work,  $W$ , is done on the refrigerator.

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## Thermodynamics

**2<sup>nd</sup> Law of Thermodynamics:**  $\Delta S = \frac{Q}{T}$

S is the entropy of a substance. This is a measure of disorder in an object. The universe favors an increase in entropy.

Q = Heat added to the object

T = Temperature of object

Adding heat increases entropy, more disordered.

Ex. gases will move more, etc.

Taking away heat makes things more ordered.

Ex. Heat taken from a liquid can turn it to a solid.

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**2<sup>nd</sup> Law of Thermodynamics: Significance**

A hot body losing heat to a cold body

$$\Delta S = \frac{Q(\text{negative value})}{T_{\text{High}}} = \text{small negative } \Delta S$$

A cold body losing heat to a hot body

$$\Delta S = \frac{Q(\text{positive value})}{T_{\text{Low}}} = \text{large positive } \Delta S$$

**Put together, entropy favors hot to cold:**

**Absolute 0 is impossible**

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## Thermodynamics

**3<sup>rd</sup> Law of Thermodynamics:** As a system approaches absolute zero, all processes cease and the system entropy approaches a minimum value.

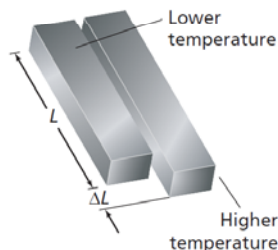
Some say if we could reach absolute 0, a perfect crystal could have 0 entropy.

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## Thermal Expansion

The change in length of a material is proportional to the original length and the change in temperature

$$\Delta L = \alpha L_i \Delta T \quad \Delta V = \beta V_i \Delta T$$



$\alpha$  = coeff of linear expansion  
 $\beta$  = coeff of volume expansion  
 $\Delta T$  = change in temperature  
 $\Delta L$  = change in length  
 $L_i$  = original length  
 $\Delta V$  = change in volume  
 $V_i$  = original volume

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Coefficients of Thermal Expansion at 20°C

Material	Coefficient of Linear Expansion, $\alpha$ ( $^{\circ}\text{C}$ ) <sup>-1</sup>	Coefficient of Volume Expansion, $\beta$ ( $^{\circ}\text{C}$ ) <sup>-1</sup>
<b>Solids</b>		
Aluminum	$25 \times 10^{-6}$	$75 \times 10^{-6}$
Brass	$19 \times 10^{-6}$	$56 \times 10^{-6}$
Concrete	$12 \times 10^{-6}$	$36 \times 10^{-6}$
Copper	$17 \times 10^{-6}$	$48 \times 10^{-6}$
Glass (soft)	$9 \times 10^{-6}$	$27 \times 10^{-6}$
Glass (ovenproof)	$3 \times 10^{-6}$	$9 \times 10^{-6}$
Iron, steel	$12 \times 10^{-6}$	$35 \times 10^{-6}$
Platinum	$9 \times 10^{-6}$	$27 \times 10^{-6}$
<b>Liquids</b>		
Gasoline		$950 \times 10^{-6}$
Mercury		$180 \times 10^{-6}$
Methanol		$1100 \times 10^{-6}$
Water		$210 \times 10^{-6}$
<b>Gases</b>		
Air (and most other gases)		$3400 \times 10^{-6}$

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